stochastic calculus for finance i

stochastic calculus for finance i is an essential area of study that bridges the gap between mathematics and financial theory. This discipline focuses on the application of stochastic processes to model financial markets and instruments. In this article, we will explore the fundamental principles of stochastic calculus, its relevance to finance, and key concepts such as Ito's Lemma, stochastic differential equations, and their applications in option pricing and risk management. We will provide a comprehensive overview suitable for both beginners and those familiar with financial mathematics, ensuring a solid understanding of how stochastic calculus underpins various financial models.

- Introduction to Stochastic Calculus
- Key Concepts in Stochastic Calculus
- Stochastic Differential Equations
- Applications in Finance
- Conclusion

Introduction to Stochastic Calculus

Stochastic calculus is a branch of mathematics that deals with processes that involve randomness and uncertainty. In finance, it is used to model the unpredictable behavior of asset prices and interest rates. The development of stochastic calculus has revolutionized the way financial analysts approach risk and uncertainty in markets. One of the most significant contributions to this field is the formulation of stochastic differential equations (SDEs), which provide a mathematical framework to describe the dynamics of various financial instruments.

Understanding stochastic calculus requires a solid grasp of probability theory and calculus. Key concepts include random variables, Brownian motion, and the properties of stochastic integrals. Financial professionals utilize these concepts to develop models that help in pricing derivatives, assessing risk, and optimizing investment strategies. As we delve deeper into this article, we will outline the essential components of stochastic calculus and its practical applications in finance.

Key Concepts in Stochastic Calculus

Brownian Motion

Brownian motion, or Wiener process, is a fundamental concept in stochastic calculus. It is a continuous-time stochastic process that models the random movement of particles suspended in a fluid. In finance, it represents the erratic behavior of asset prices over time. The properties of Brownian motion include:

- Continuous paths: The trajectory of a Brownian motion is continuous with no jumps.
- Independent increments: The changes in the process over non-overlapping time intervals are independent.
- Normally distributed increments: The increments of the process follow a normal distribution, which helps in modeling returns.

Itô's Lemma

Itô's Lemma is a cornerstone of stochastic calculus, analogous to the chain rule in classical calculus. It provides a method for finding the differential of a function of a stochastic process. This lemma is crucial for deriving SDEs used in financial modeling. The formula states that if (X_t) is a stochastic process and $(f(X_t, t))$ is a twice-differentiable function, then:

```
df = (\partial f/\partial t + (1/2) \partial^2 f/\partial x^2 \sigma^2)dt + \partial f/\partial x dX_t
```

where $\setminus(\sigma\setminus)$ is the volatility of the process. Itô's Lemma allows finance professionals to transform SDEs into simpler forms for analysis.

Stochastic Differential Equations

Stochastic differential equations are equations that describe the evolution of a stochastic process. They are pivotal in modeling various financial phenomena, including stock prices and interest rates. The general form of an SDE can be expressed as:

```
dX_t = \mu(X_t, t)dt + \sigma(X_t, t)dW_t
```

where $\langle \mu \rangle$ is the drift term representing the expected return, $\langle \sigma \rangle$ is the volatility term, and $\langle W_t \rangle$ is a Wiener process. Solving SDEs typically requires specialized techniques, such as:

- Analytical methods for simple SDEs.
- Numerical methods such as the Euler-Maruyama method for more complex scenarios.
- Simulation techniques to estimate the behavior of the process over time.

Applications in Finance

Stochastic calculus plays a critical role in several areas of finance, particularly in option pricing, risk management, and portfolio optimization. The Black-Scholes model, one of the most famous applications of stochastic calculus, uses SDEs to price European options. The core equation derived from the model incorporates the underlying asset's price dynamics, the risk-free rate, and the time to expiration.

Option Pricing

The Black-Scholes formula is derived using Itô's Lemma and stochastic calculus. It provides a closed-form solution for pricing European call and put options. The formula is expressed as:

$$C(S, t) = S\Phi(d1) - Xe^{-r(T-t)}\Phi(d2)$$

where $\setminus(\Phi\setminus)$ is the cumulative distribution function of the standard normal distribution, and $\setminus(d1\setminus)$ and $\setminus(d2\setminus)$ are calculated based on the underlying asset price, strike price, risk-free rate, volatility, and time to expiration. This model has set the foundation for further developments in financial derivatives.

Risk Management

In risk management, stochastic calculus is utilized to evaluate and mitigate financial risks. Value at Risk (VaR) and Conditional Value at Risk (CVaR) are

two methods that often employ stochastic models to quantify potential losses in investment portfolios. By understanding the stochastic nature of market movements, financial institutions can develop strategies to hedge against adverse price movements and optimize capital allocation.

Conclusion

Stochastic calculus for finance i encompasses a multitude of concepts and applications essential for understanding modern financial markets. From the foundations of Brownian motion to the intricate workings of stochastic differential equations, this field provides the tools necessary for modeling the complexities of financial instruments and markets. The applications in option pricing and risk management highlight the significance of this mathematical discipline in creating effective financial strategies. Mastery of stochastic calculus is a prerequisite for finance professionals seeking to navigate the uncertainties inherent in financial markets and to develop robust quantitative models.

Q: What is stochastic calculus?

A: Stochastic calculus is a branch of mathematics that deals with stochastic processes and their applications, particularly in financial modeling. It involves concepts such as Brownian motion and stochastic differential equations to analyze the behavior of financial instruments under uncertainty.

Q: How is stochastic calculus applied in finance?

A: In finance, stochastic calculus is applied in various areas, including option pricing, risk management, and portfolio optimization. It helps in modeling asset price dynamics and evaluating potential risks associated with financial investments.

Q: What is Ito's Lemma and why is it important?

A: Ito's Lemma is a fundamental result in stochastic calculus that provides a method for finding the differential of a function of a stochastic process. It is crucial for deriving stochastic differential equations used in financial models, particularly in option pricing.

Q: What are stochastic differential equations (SDEs)?

A: Stochastic differential equations are equations that describe the

evolution of stochastic processes over time. They incorporate both deterministic and random components, making them essential for modeling financial phenomena such as stock prices and interest rates.

Q: Can you explain the Black-Scholes model?

A: The Black-Scholes model is a mathematical model used to price European options. It employs stochastic calculus to derive a closed-form solution for option pricing based on factors like the underlying asset's price, strike price, volatility, and time to expiration.

Q: What is Value at Risk (VaR)?

A: Value at Risk (VaR) is a risk management measure that estimates the potential loss in value of an asset or portfolio over a defined period for a given confidence interval. Stochastic calculus is often used to calculate VaR by modeling the uncertainty in asset prices.

Q: How does Brownian motion relate to financial markets?

A: Brownian motion is used to model the random behavior of asset prices in financial markets. It reflects the unpredictable nature of price movements, making it a key concept in stochastic calculus and financial modeling.

Q: What role does volatility play in stochastic calculus?

A: Volatility is a measure of the price fluctuations of an asset over time. In stochastic calculus, it is a critical component in stochastic differential equations and option pricing models, as it affects the dynamics of asset prices and the risk associated with investments.

Q: What are the numerical methods used to solve SDEs?

A: Numerical methods such as the Euler-Maruyama method and Monte Carlo simulations are commonly used to solve stochastic differential equations. These techniques help approximate the solutions of SDEs, especially when analytical solutions are difficult to obtain.

Q: Why is it important to understand stochastic calculus for a career in finance?

A: Understanding stochastic calculus is essential for finance professionals as it provides the mathematical framework for modeling and analyzing financial instruments and markets. It enables them to develop quantitative models for pricing derivatives, managing risk, and optimizing portfolios effectively.

Stochastic Calculus For Finance I

Find other PDF articles:

 $\frac{\text{http://www.speargroupllc.com/anatomy-suggest-009/files?dataid=wET89-6237\&title=sardine-anatomy-suggest-009/files.dataid=wET89-6237\&title=sardine-anatomy-suggest-009/files.dataid=wET89-6237\&title=sardine-anatomy-suggest-009/files.dataid=wET89-6230\&title=sardine-anatomy-suggest-009/files.dataid=wET89-$

stochastic calculus for finance i: *Stochastic Calculus for Finance I* Steven Shreve, 2005-06-28 Developed for the professional Master's program in Computational Finance at Carnegie Mellon, the leading financial engineering program in the U.S. Has been tested in the classroom and revised over a period of several years Exercises conclude every chapter; some of these extend the theory while others are drawn from practical problems in quantitative finance

stochastic calculus for finance i: Stochastic Calculus for Finance II Steven E. Shreve, 2004-06-03 A wonderful display of the use of mathematical probability to derive a large set of results from a small set of assumptions. In summary, this is a well-written text that treats the key classical models of finance through an applied probability approach....It should serve as an excellent introduction for anyone studying the mathematics of the classical theory of finance. --SIAM

stochastic calculus for finance i: <u>Stochastic Calculus for Finance I</u> Steven Shreve, 2005-06-28 Developed for the professional Master's program in Computational Finance at Carnegie Mellon, the leading financial engineering program in the U.S. Has been tested in the classroom and revised over a period of several years Exercises conclude every chapter; some of these extend the theory while others are drawn from practical problems in quantitative finance

stochastic calculus for finance i: Stochastic Calculus for Finance Steven E. Shreve, 2007 stochastic calculus for finance i: Stochastic Calculus and Financial Applications J. Michael Steele, 2012-12-06 This book is designed for students who want to develop professional skill in stochastic calculus and its application to problems in finance. The Wharton School course that forms the basis for this book is designed for energetic students who have had some experience with probability and statistics but have not had ad vanced courses in stochastic processes. Although the course assumes only a modest background, it moves quickly, and in the end, students can expect to have tools that are deep enough and rich enough to be relied on throughout their professional careers. The course begins with simple random walk and the analysis of gambling games. This material is used to motivate the theory of martingales, and, after reaching a decent level of confidence with discrete processes, the course takes up the more de manding development of continuous-time stochastic processes, especially Brownian motion. The construction of Brownian motion is given in detail, and enough mate rial on the subtle nature of Brownian paths is developed for the student to evolve a good sense of when intuition can be trusted and when it cannot. The course then takes up the Ito integral in earnest. The development of stochastic integration aims to

be careful and complete without being pedantic.

stochastic calculus for finance i: Stochastic Calculus for Finance Marek Capiński, Ekkehard Kopp, Janusz Traple, 2012-08-23 This book introduces key results essential for financial practitioners by means of concrete examples and a fully rigorous exposition.

stochastic calculus for finance i: Elementary Stochastic Calculus with Finance in View Thomas Mikosch, 1998 Modelling with the Ito integral or stochastic differential equations has become increasingly important in various applied fields, including physics, biology, chemistry and finance. However, stochastic calculus is based on a deep mathematical theory. This book is suitable for the reader without a deep mathematical background. It gives an elementary introduction to that area of probability theory, without burdening the reader with a great deal of measure theory. Applications are taken from stochastic finance. In particular, the Black -- Scholes option pricing formula is derived. The book can serve as a text for a course on stochastic calculus for non-mathematicians or as elementary reading material for anyone who wants to learn about Ito calculus and/or stochastic finance.

stochastic calculus for finance i: Stochastic Calculus for Finance Steven E. Shreve, 2019 stochastic calculus for finance i: Introduction to Stochastic Calculus Applied to Finance, Second Edition Damien Lamberton, Bernard Lapeyre, 1996-06-01 In recent years the growing importance of derivative products financial markets has increased financial institutions' demands for mathematical skills. This book introduces the mathematical methods of financial modeling with clear explanations of the most useful models. Introduction to Stochastic Calculus begins with an elementary presentation of discrete models, including the Cox-Ross-Rubenstein model. This book will be valued by derivatives trading, marketing, and research divisions of investment banks and other institutions, and also by graduate students and research academics in applied probability and finance theory.

stochastic calculus for finance i: Stochastic Calculus for Quantitative Finance Alexander A Gushchin, 2015-08-26 In 1994 and 1998 F. Delbaen and W. Schachermayer published two breakthrough papers where they proved continuous-time versions of the Fundamental Theorem of Asset Pricing. This is one of the most remarkable achievements in modern Mathematical Finance which led to intensive investigations in many applications of the arbitrage theory on a mathematically rigorous basis of stochastic calculus. Mathematical Basis for Finance: Stochastic Calculus for Finance provides detailed knowledge of all necessary attributes in stochastic calculus that are required for applications of the theory of stochastic integration in Mathematical Finance, in particular, the arbitrage theory. The exposition follows the traditions of the Strasbourg school. This book covers the general theory of stochastic processes, local martingales and processes of bounded variation, the theory of stochastic integration, definition and properties of the stochastic exponential; a part of the theory of Lévy processes. Finally, the reader gets acquainted with some facts concerning stochastic differential equations. - Contains the most popular applications of the theory of stochastic integration - Details necessary facts from probability and analysis which are not included in many standard university courses such as theorems on monotone classes and uniform integrability - Written by experts in the field of modern mathematical finance

stochastic calculus for finance i: Introduction to Stochastic Calculus for Finance Dieter Sondermann, 2006-12-02 Although there are many textbooks on stochastic calculus applied to finance, this volume earns its place with a pedagogical approach. The text presents a quick (but by no means dirty) road to the tools required for advanced finance in continuous time, including option pricing by martingale methods, term structure models in a HJM-framework and the Libor market model. The reader should be familiar with elementary real analysis and basic probability theory.

stochastic calculus for finance i: Stochastic Calculus for Finance Steven E. Shreve, 2010 stochastic calculus for finance i: Introduction to Stochastic Calculus Applied to Finance, Second Edition Damien Lamberton, Bernard Lapeyre, 2007-11-30 Since the publication of the first edition of this book, the area of mathematical finance has grown rapidly, with financial analysts using more sophisticated mathematical concepts, such as stochastic integration, to describe the

behavior of markets and to derive computing methods. Maintaining the lucid style of its popular predecessor, Introduction to Stochastic Calculus Applied to Finance, Second Edition incorporates some of these new techniques and concepts to provide an accessible, up-to-date initiation to the field. New to the Second Edition Complements on discrete models, including Rogers' approach to the fundamental theorem of asset pricing and super-replication in incomplete markets Discussions on local volatility, Dupire's formula, the change of numéraire techniques, forward measures, and the forward Libor model A new chapter on credit risk modeling An extension of the chapter on simulation with numerical experiments that illustrate variance reduction techniques and hedging strategies Additional exercises and problems Providing all of the necessary stochastic calculus theory, the authors cover many key finance topics, including martingales, arbitrage, option pricing, American and European options, the Black-Scholes model, optimal hedging, and the computer simulation of financial models. They succeed in producing a solid introduction to stochastic approaches used in the financial world.

stochastic calculus for finance i: Stochastic Calculus for Finance Marek Capiński, 2012 stochastic calculus for finance i: From Stochastic Calculus to Mathematical Finance Yu. Kabanov, R. Liptser, J. Stoyanov, 2007-04-03 Dedicated to the Russian mathematician Albert Shiryaev on his 70th birthday, this is a collection of papers written by his former students, co-authors and colleagues. The book represents the modern state of art of a quickly maturing theory and will be an essential source and reading for researchers in this area. Diversity of topics and comprehensive style of the papers make the book attractive for PhD students and young researchers.

stochastic calculus for finance i: Introduction to Stochastic Calculus with Applications Fima C. Klebaner, 1998

stochastic calculus for finance i: A First Course in Stochastic Calculus Louis-Pierre Arguin, 2021-11-22 A First Course in Stochastic Calculus is a complete guide for advanced undergraduate students to take the next step in exploring probability theory and for master's students in mathematical finance who would like to build an intuitive and theoretical understanding of stochastic processes. This book is also an essential tool for finance professionals who wish to sharpen their knowledge and intuition about stochastic calculus. Louis-Pierre Arguin offers an exceptionally clear introduction to Brownian motion and to random processes governed by the principles of stochastic calculus. The beauty and power of the subject are made accessible to readers with a basic knowledge of probability, linear algebra, and multivariable calculus. This is achieved by emphasizing numerical experiments using elementary Python coding to build intuition and adhering to a rigorous geometric point of view on the space of random variables. This unique approach is used to elucidate the properties of Gaussian processes, martingales, and diffusions. One of the book's highlights is a detailed and self-contained account of stochastic calculus applications to option pricing in finance. Louis-Pierre Arguin's masterly introduction to stochastic calculus seduces the reader with its quietly conversational style; even rigorous proofs seem natural and easy. Full of insights and intuition, reinforced with many examples, numerical projects, and exercises, this book by a prize-winning mathematician and great teacher fully lives up to the author's reputation. I give it my strongest possible recommendation. —Jim Gatheral, Baruch College I happen to be of a different persuasion, about how stochastic processes should be taught to undergraduate and MA students. But I have long been thinking to go against my own grain at some point and try to teach the subject at this level—together with its applications to finance—in one semester. Louis-Pierre Arguin's excellent and artfully designed text will give me the ideal vehicle to do so. —Ioannis Karatzas, Columbia University. New York

stochastic calculus for finance i: Introduction To Stochastic Calculus With Applications (2nd Edition) Fima C Klebaner, 2005-06-20 This book presents a concise treatment of stochastic calculus and its applications. It gives a simple but rigorous treatment of the subject including a range of advanced topics, it is useful for practitioners who use advanced theoretical results. It covers advanced applications, such as models in mathematical finance, biology and

engineering. Self-contained and unified in presentation, the book contains many solved examples and exercises. It may be used as a textbook by advanced undergraduates and graduate students in stochastic calculus and financial mathematics. It is also suitable for practitioners who wish to gain an understanding or working knowledge of the subject. For mathematicians, this book could be a first text on stochastic calculus; it is good companion to more advanced texts by a way of examples and exercises. For people from other fields, it provides a way to gain a working knowledge of stochastic calculus. It shows all readers the applications of stochastic calculus methods and takes readers to the technical level required in research and sophisticated modelling. This second edition contains a new chapter on bonds, interest rates and their options. New materials include more worked out examples in all chapters, best estimators, more results on change of time, change of measure, random measures, new results on exotic options, FX options, stochastic and implied volatility, models of the age-dependent branching process and the stochastic Lotka-Volterra model in biology, non-linear filtering in engineering and five new figures. Instructors can obtain slides of the text from the author./a

stochastic calculus for finance i: Stochastic Calculus For Finance Ii Shreve, 2009-07-01 **stochastic calculus for finance i:** *Essentials of Stochastic Finance* Albert N. Shiryaev, 1999 Readership: Undergraduates and researchers in probability and statistics; applied, pure and financial mathematics; economics; chaos.

Related to stochastic calculus for finance i

Stochastic □□□ Random □□□□□ - □□ With stochastic process, the likelihood or probability of any
particular outcome can be specified and not all outcomes are equally likely of occurring. For
example, an ornithologist may assign a

In layman's terms: What is a stochastic process? A stochastic process is a way of representing the evolution of some situation that can be characterized mathematically (by numbers, points in a graph, etc.) over time

What's the difference between stochastic and random? Similarly "stochastic process" and "random process", but the former is seen more often. Some mathematicians seem to use "random" when they mean uniformly distributed, but

Books recommendations on stochastic analysis - Mathematics Stochastic Calculus for Finance I: Binomial asset pricing model and Stochastic Calculus for Finance II: tochastic Calculus for Finance II: Continuous-Time Models. These two

Difference between time series and stochastic process? Stochastic processes are often used in modeling time series data- we assume that the time series we have was produced by a stochastic process, find the parameters of a

probability theory - What is the difference between stochastic A stochastic process can be a sequence of random variable, like successive rolls of the die in a game, or a function of a real variable whose value is a random variable, like the

Example of an indivisible stochastic process This question arises from pages 14 and 15 of this review paper on quantum stochastic processes (in a section on classical stochastic processes). Suppose we have a

terminology - What is the difference between stochastic calculus Stochastic analysis is looking at the interplay between analysis & probability. Examples of research topics include linear & nonlinear SPDEs, forward-backward SDEs, rough

□**Stochastic**□□□**Random**□□□□□ - □□ With stochastic process, the likelihood or probability of any particular outcome can be specified and not all outcomes are equally likely of occurring. For example, an ornithologist may assign

random process[]stochastic process[]][][][] - [][] [][]"random process"[]"stochastic process"[][][]
In layman's terms: What is a stochastic process? A stochastic process is a way of representing
the evolution of some situation that can be characterized mathematically (by numbers, points in a
graph, etc.) over time
What's the difference between stochastic and random? Similarly "stochastic process" and
"random process", but the former is seen more often. Some mathematicians seem to use "random"
when they mean uniformly distributed, but
Books recommendations on stochastic analysis - Mathematics Stochastic Calculus for
Finance I: Binomial asset pricing model and Stochastic Calculus for Finance II: tochastic Calculus
for Finance II: Continuous-Time Models. These two
Difference between time series and stochastic process? Stochastic processes are often used in
modeling time series data- we assume that the time series we have was produced by a stochastic

probability theory - What is the difference between stochastic A stochastic process can be a sequence of random variable, like successive rolls of the die in a game, or a function of a real variable whose value is a random variable, like the

Example of an indivisible stochastic process This question arises from pages 14 and 15 of this review paper on quantum stochastic processes (in a section on classical stochastic processes). Suppose we have a

terminology - What is the difference between stochastic calculus Stochastic analysis is looking at the interplay between analysis & probability. Examples of research topics include linear & nonlinear SPDEs, forward-backward SDEs,

□Stochastic□□□Random□□□□□□ - □□ With stochastic process, the likelihood or probability of any particular outcome can be specified and not all outcomes are equally likely of occurring. For example, an ornithologist may assign a

random process[stochastic process[]]]]]]]] - []] []]]"random process"[]"stochastic process"[]][]

In layman's terms: What is a stochastic process? A stochastic process is a way of representing the evolution of some situation that can be characterized mathematically (by numbers, points in a graph, etc.) over time

What's the difference between stochastic and random? Similarly "stochastic process" and "random process", but the former is seen more often. Some mathematicians seem to use "random" when they mean uniformly distributed, but

Books recommendations on stochastic analysis - Mathematics Stochastic Calculus for Finance I: Binomial asset pricing model and Stochastic Calculus for Finance II: tochastic Calculus for Finance II: Continuous-Time Models. These two

Difference between time series and stochastic process? Stochastic processes are often used in modeling time series data- we assume that the time series we have was produced by a stochastic process, find the parameters of a

probability theory - What is the difference between stochastic A stochastic process can be a sequence of random variable, like successive rolls of the die in a game, or a function of a real variable whose value is a random variable, like the

Example of an indivisible stochastic process This question arises from pages 14 and 15 of this review paper on quantum stochastic processes (in a section on classical stochastic processes). Suppose we have a

terminology - What is the difference between stochastic calculus Stochastic analysis is

looking at the interplay between analysis & probability. Examples of research topics include linear & nonlinear SPDEs, forward-backward SDEs, rough

Related to stochastic calculus for finance i

APPM 4530 - Stochastic Analysis for Finance (CU Boulder News & Events10mon) Studies mathematical theories and techniques for modeling financial markets. Specific topics include the binomial model, risk neutral pricing, stochastic calculus, connection to partial differential APPM 4530 - Stochastic Analysis for Finance (CU Boulder News & Events10mon) Studies mathematical theories and techniques for modeling financial markets. Specific topics include the binomial model, risk neutral pricing, stochastic calculus, connection to partial differential Stochastic Differential Equations and Asymptotic Analysis in Finance (Nature2mon) Stochastic differential equations (SDEs) are at the heart of modern financial modelling, providing a framework that accommodates the inherent randomness observed in financial markets. These equations

Stochastic Differential Equations and Asymptotic Analysis in Finance (Nature2mon) Stochastic differential equations (SDEs) are at the heart of modern financial modelling, providing a framework that accommodates the inherent randomness observed in financial markets. These equations

THE JAIN-MONRAD CRITERION FOR ROUGH PATHS AND APPLICATIONS TO RANDOM FOURIER SERIES AND NON-MARKOVIAN HÖRMANDER THEORY (JSTOR Daily4mon) We discuss stochastic calculus for large classes of Gaussian processes, based on rough path analysis. Our key condition is a covariance measure structure combined with a classical criterion due to THE JAIN-MONRAD CRITERION FOR ROUGH PATHS AND APPLICATIONS TO RANDOM FOURIER SERIES AND NON-MARKOVIAN HÖRMANDER THEORY (JSTOR Daily4mon) We discuss stochastic calculus for large classes of Gaussian processes, based on rough path analysis. Our key condition is a covariance measure structure combined with a classical criterion due to Stochastic Equations of Hyperbolic Type and a Two-Parameter Stratonovich Calculus (JSTOR Daily8mon) This is a preview. Log in through your library . Abstract Existence, uniqueness, and a Markov property are proved for the solutions of a hyperbolic equation with a white Gaussian noise driving term. A

Stochastic Equations of Hyperbolic Type and a Two-Parameter Stratonovich Calculus (JSTOR Daily8mon) This is a preview. Log in through your library . Abstract Existence, uniqueness, and a Markov property are proved for the solutions of a hyperbolic equation with a white Gaussian noise driving term. A

Back to Home: http://www.speargroupllc.com